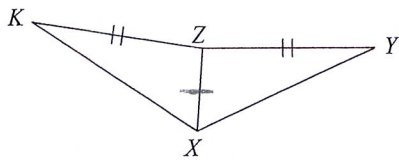


Review Test 3 - Congruent & Similar Triangles

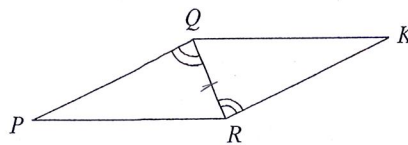
State what additional information is required in order to know that the triangles are congruent for the reason given.

1) SSS



Need $\overline{KX} \cong \overline{XY}$

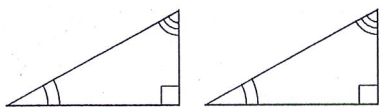
2) AAS



Need $\overline{QP} \cong \overline{RK}$

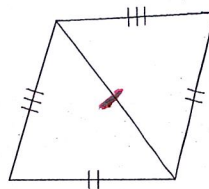
If the triangles can be shown congruent, state the rule that would show them so. If there's not enough information, then state that they're not congruent.

3)



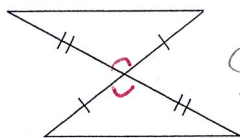
Not \cong

4)



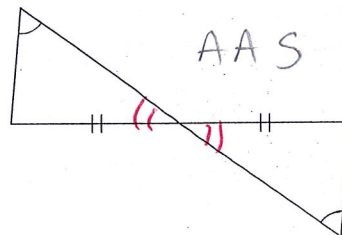
SSS

5)



SAS

6)



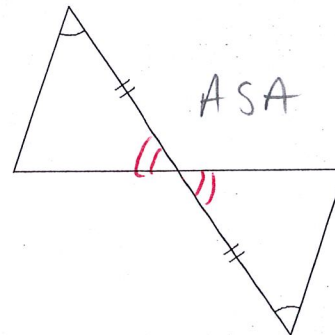
AAS

7)



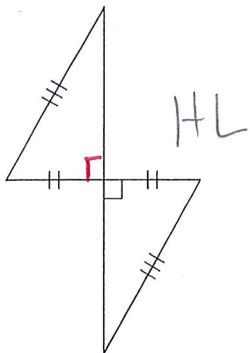
ASA

8)

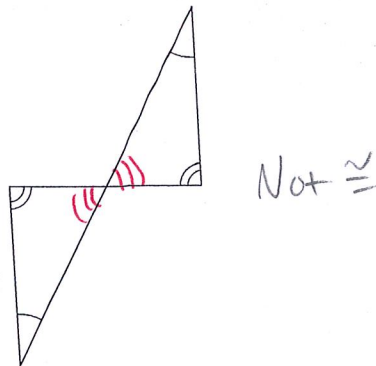


ASA

9)



10)



Find the measure of angle A.

11)

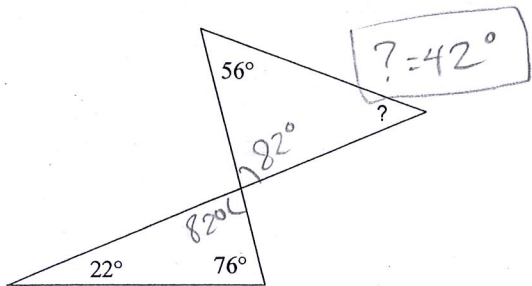
$63 + x + 46 + x + 85 = 180$
 $2x + 194 = 180$
 $2x = -14$
 $x = -7$
 $\angle A = (-7) + 46 = 39^\circ$

12)

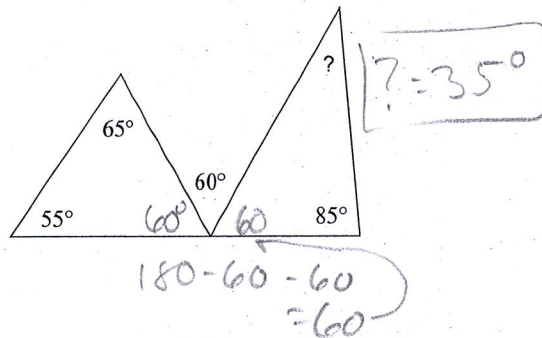
$x + 43 + x + 53 = 90$
 $2x + 96 = 90$
 $2x = -6$
 $x = -3$
 $\angle A = (-3) + 43 = 40^\circ$

Find the measure of each angle indicated.

13)



14)



Using the Base Angles Theorem, find the value of x.

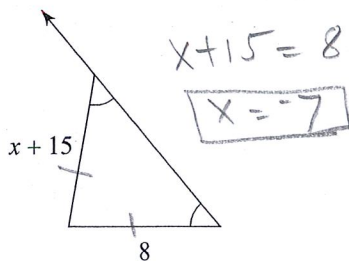
15) $m\angle 2 = 137 + x$

$128 = 137 + x$
 $-9 = x$
 $180 - 52 = 128 = x2$
 $180 - 77 - 77 = 26^\circ$

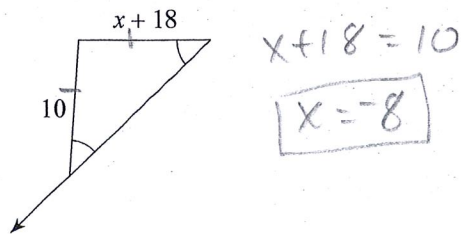
16) $m\angle 2 = 13x + 3$

$13x + 3 = 120$
 $13x = 117$
 $x = 9$

17)



18)



19. Make sure to memorize the special segments, points of concurrency and their diagrams.

Always/Sometimes/Never?

20. A triangle has 3 medians **A**
 21. An obtuse triangle is congruent to an acute triangle. **N**
 22. The base angles in an isosceles Δ are congruent. **A**
 23. The centroid of a triangle is the same point as the circumcenter. **S**
 24. A triangle's orthocenter is on the interior of the Δ . **S**

25. If $\Delta IPH \cong \Delta ONE$, then $\angle P \cong$ ~~4~~ N, and $\overline{NE} \cong$ PH.

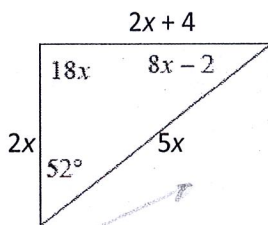
26. $\Delta CAT \cong \Delta DOG$. $CA = 14$ cm. $DO = 2x - 4$. Find x !

$$\begin{aligned} \overline{CA} &\cong \overline{DO} \\ 14 &= 2x - 4 \\ 18 &= 2x \\ \boxed{9} &= x \end{aligned}$$

27. Find the perimeter of the Δ .

Use the Δ s to find x

$$\begin{aligned} 18x + 8x - 2 + 52 &= 180 \\ 26x + 50 &= 180 \\ 26x &= 130 \\ x &= 5 \end{aligned}$$

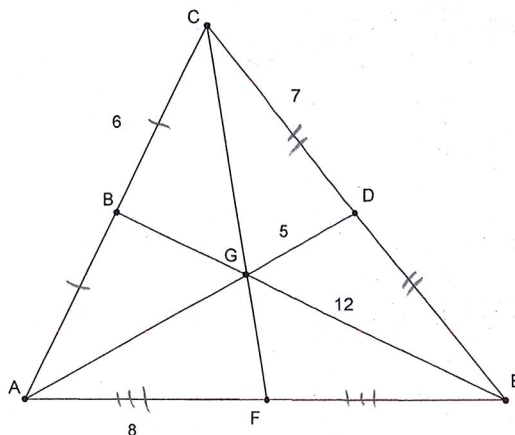


$$\begin{aligned} P &= 2x + 4 + 5x + 2x \\ &= 2(5) + 4 + 5(5) + 2(5) \\ &= 10 + 4 + 25 + 10 \\ &= \boxed{49} \end{aligned}$$

28. Given that B, D, & F are midpoints, use the diagram at right to find the following lengths.

- AB = 6
 CE = 14
 BG = $12/2 = 6$
 AG = $5(2) = 10$
 AD = $5(3) = 15$
 Perimeter of $\Delta ACE =$

$$\begin{aligned} &2(6 + 7 + 8) \\ &2(21) \\ &\boxed{= 42} \end{aligned}$$

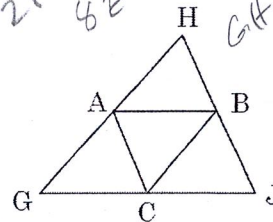


20) Use $\triangle GHJ$, where A, B, and C are midpoints of the sides.

23) If $AB = 3x + 8$ and $GJ = 2x + 24$, what is AB ?

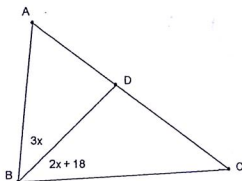
24) If $AC = 3y - 5$ and $HJ = 4y + 2$, what is HB ?

25) If $GH = 7z - 1$ and $BC = 4z - 3$, what is GH ?



Handwritten work for problem 25:
 $2(BC) = GH$
 $2(4z - 3) = 7z - 1$
 $8z - 6 = 7z - 1$
 $z = 5$
 $GH = 7(5) - 1$
 $= 34$

30. BD is an \angle bisector. Find the measure of $\angle ABC$.



Handwritten work for problem 30:
 $2(AB) = GJ$
 $2(3x + 8) = 2x + 24$
 $6x + 16 = 2x + 24$
 $4x = 8$
 $x = 2$
 $AB = 3(2) + 8$
 $= 14$

Handwritten work for problem 24:
 $2(AC) = HJ$
 $2(3y - 5) = 4y + 2$
 $6y - 10 = 4y + 2$
 $2y = 12$
 $y = 6$
 $HJ = 4(6) + 2 = 26$
 $HB = 26/2 = 13$

Handwritten work for problem 30:
 $3x = 2x + 18$
 $x = 18$

Handwritten work for problem 30:
 $\angle ABD = 3(18) = 54$

Proofs!

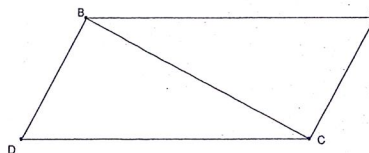
Handwritten work for problem 30:
 $\angle ABC = 2(54)$
 $= 108^\circ$

31.

Given: $\overline{AB} \cong \overline{DC}$, $\overline{DB} \cong \overline{AC}$

Prove: $\triangle ABD \cong \triangle DCB$

Handwritten note: $\triangle ABC$ (with arrows pointing to AB and DC) and "opps" (with an arrow pointing to DB and AC).

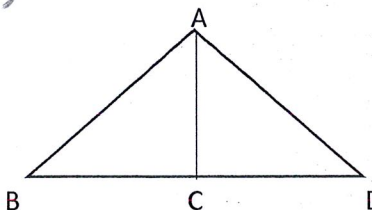


32.

Given: \overline{AC} is a median, $\overline{AB} \cong \overline{AD}$

Prove: $\angle B \cong \angle D$

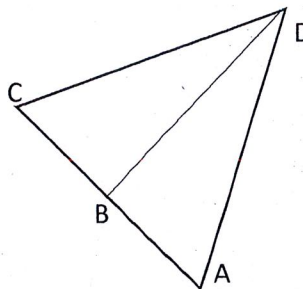
Handwritten note: "Scroll down for proofs"



33. Given: $\triangle ADC$ is isosceles with base \overline{AC}

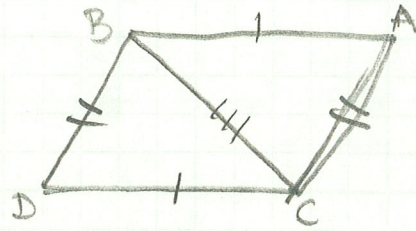
\overline{DB} is a median

Prove: \overline{DB} is an \angle bisector



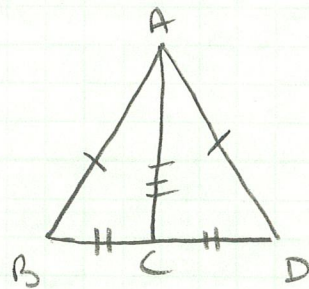
31.

- | | |
|--|---------------|
| ① $\overline{AB} \cong \overline{DC}$
$\overline{DB} \cong \overline{AC}$ | ① given |
| ② $\overline{BC} \cong \overline{BC}$ | ② Reflex Prop |
| ③ $\triangle ABC \cong \triangle DCB$ | ③ SSS (1,2) |



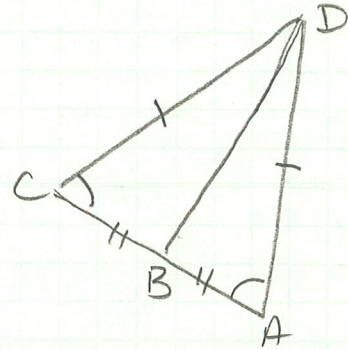
32.

- | | |
|--|---------------|
| ① \overline{AC} is median
$\overline{AB} \cong \overline{AD}$ | ① given |
| ② C midpt \overline{BD} | ② Def. median |
| ③ $\overline{BC} \cong \overline{CD}$ | ③ Def. midpt |
| ④ $\overline{AC} \cong \overline{AC}$ | ④ Reflex. |
| ⑤ $\triangle BCA \cong \triangle DCA$ | ⑤ SSS (1,3,4) |
| ⑥ $\angle B \cong \angle D$ | ⑥ CPCTC |



33.

- | | |
|--|---------------------------|
| ① $\triangle ADC$ ISOS.
\overline{DB} is median | ① given |
| ② $\overline{DC} \cong \overline{AD}$ | ② Def isos. |
| ③ $\angle C \cong \angle A$ | ③ Base \angle s then |
| ④ B midpt \overline{AC} | ④ Def median |
| ⑤ $\overline{BC} \cong \overline{AB}$ | ⑤ Def midpt |
| ⑥ $\triangle DCB \cong \triangle DAB$ | ⑥ SAS (2,3,5) |
| ⑦ $\angle CDB \cong \angle ADB$ | ⑦ CPCTC |
| ⑧ \overline{DB} is an \triangle Bis | ⑧ Def. \angle Bisector. |



Can be done other ways
you just need to prove
the \angle s \cong , I was trying
to be creative. ☺

